# Addendum to: "Transfer Matrix Functional Relations for the Generalized $\tau_2(t_q)$ Model, Journal of Statistical Physics 117, 1–25 (2004)"

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I began this paper[1] by recalling how Bazhanov and Stroganov[2] showed in 1990 that the chiral Potts model could be obtained from the six-vertex model. This statement was true but not complete: I have recently been reminded that the first such demonstration (also using the quantum theroretic language of $L$-operators) is contained in the work of Igor Korepanov in 1986.[3]

It was not till 1988 that the general solvable $N$-state chiral Potts model was explicitly formulated as a two-dimensional lattice model in equilibrium statistical mechanics.[4]

## REFERENCES

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